

Pulse Shape Analysis

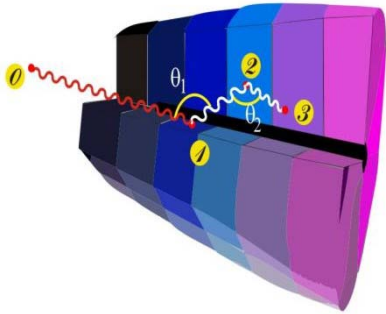
With the
**AGATA
DEMONSTRATOR**

Bart Bruyneel – IKP Cologne
'Germanium' workshop – Berkeley
18-20 May 2010

Ingredients of Gamma-Ray Tracking

1

Highly segmented
HPGe detectors



2

Digital electronics
to record and
process segment
signals

Identified
interaction points

$(x, y, z, E, t)_i$

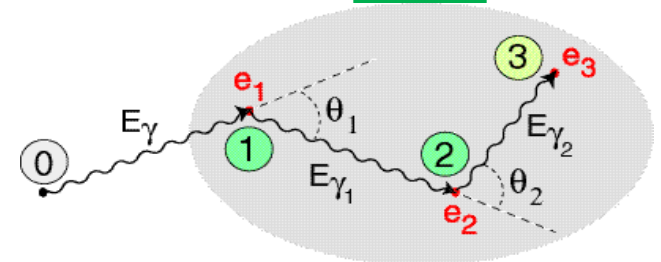
Pulse Shape Analysis
to decompose
recorded waves

3



4

Reconstruction of tracks
evaluating permutations
of interaction points



Reconstructed
gamma-rays

PSA with the AGATA demonstrator

- How to simulate detector responses
- PSA methods used for AGATA
- First PSA results
- Optimisation:
 - Crystal orientation measurements
 - Response function of electronics
 - Derivative crosstalk analysis
 - CV measurements for doping profile

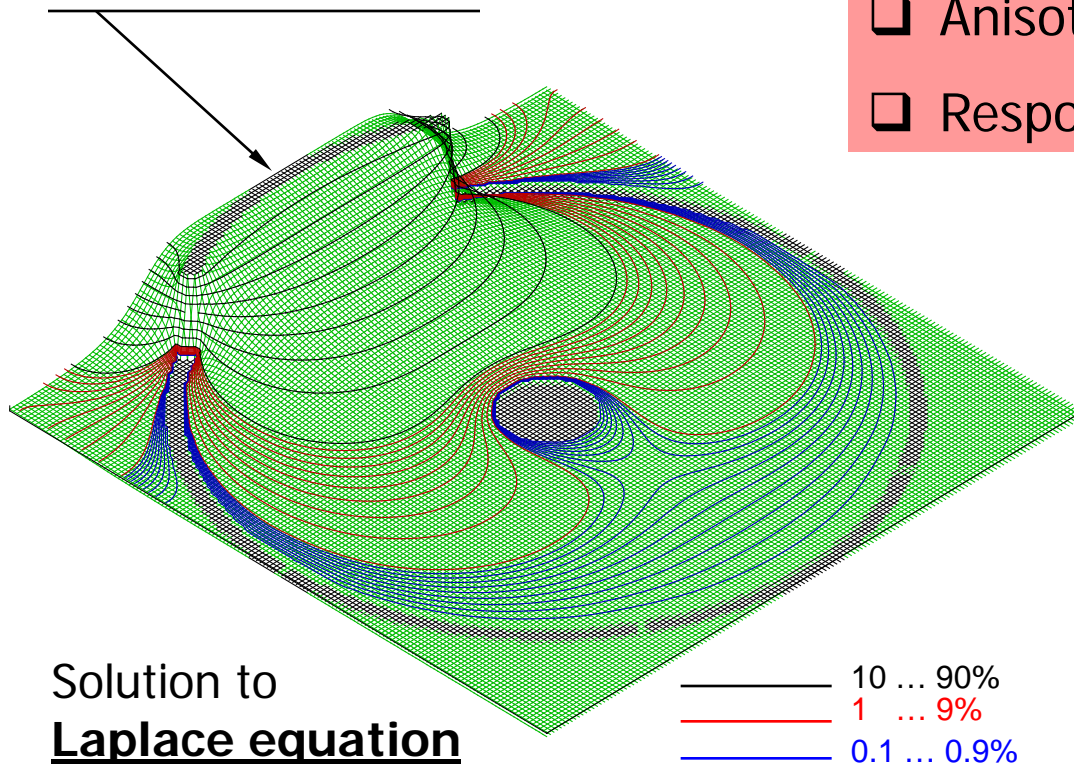
Preliminary

How to simulate detectors

Requirements:

- Weighting potentials
- Electrical field \leftrightarrow space charge
- Anisotropic Mobility
- Response of electronics

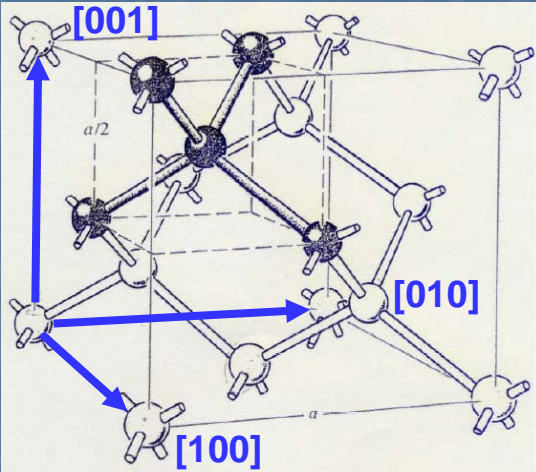
Weighting potential
for this segment



[B. Bruyneel NIMA 569 \(2006\) 764-773](#)

[B. Bruyneel NIMA 569 \(2006\) 774-789](#)

Mobilities : Intro

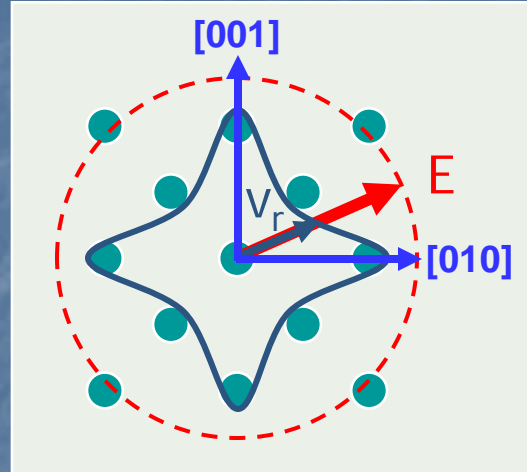


- Monocrystalline Ge
- Periodic potential

↓
Bloch electrons:

$$\Psi_{n,\vec{k}}(\vec{r}), \varepsilon_{n,\vec{k}}$$

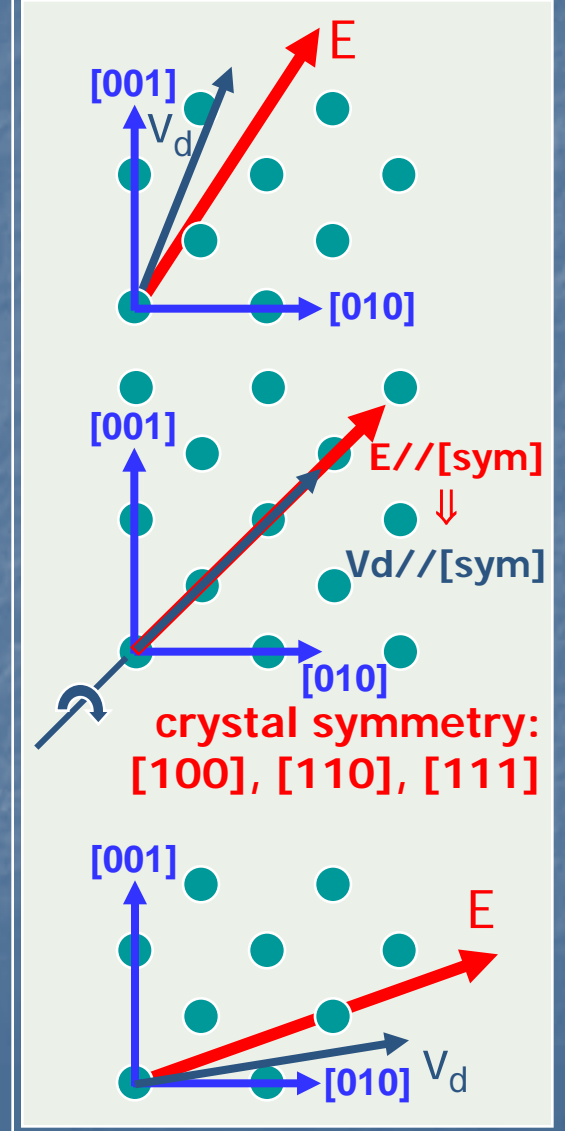
- Wave vector \vec{k} in first Brillouin zone
- Band index n



- Velocity:

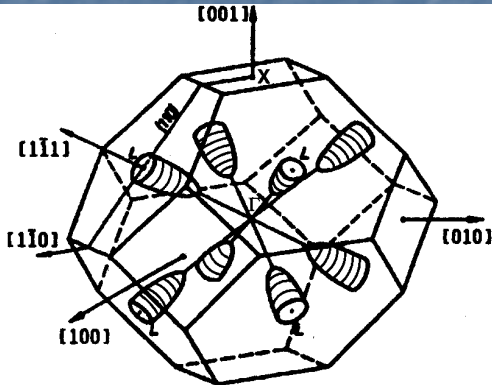
$$\vec{v}_{n,\vec{k}} = \frac{1}{\hbar} \vec{\nabla}_{\vec{k}} \varepsilon_n(\vec{k})$$

- Longitudinal anisotropy
 $|v_r|$ angle dependent
- Tangential anisotropy



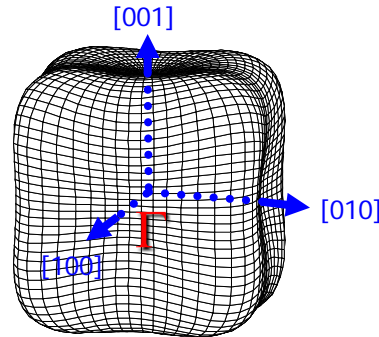
Electron and Hole Mobility in Ge

Electrons

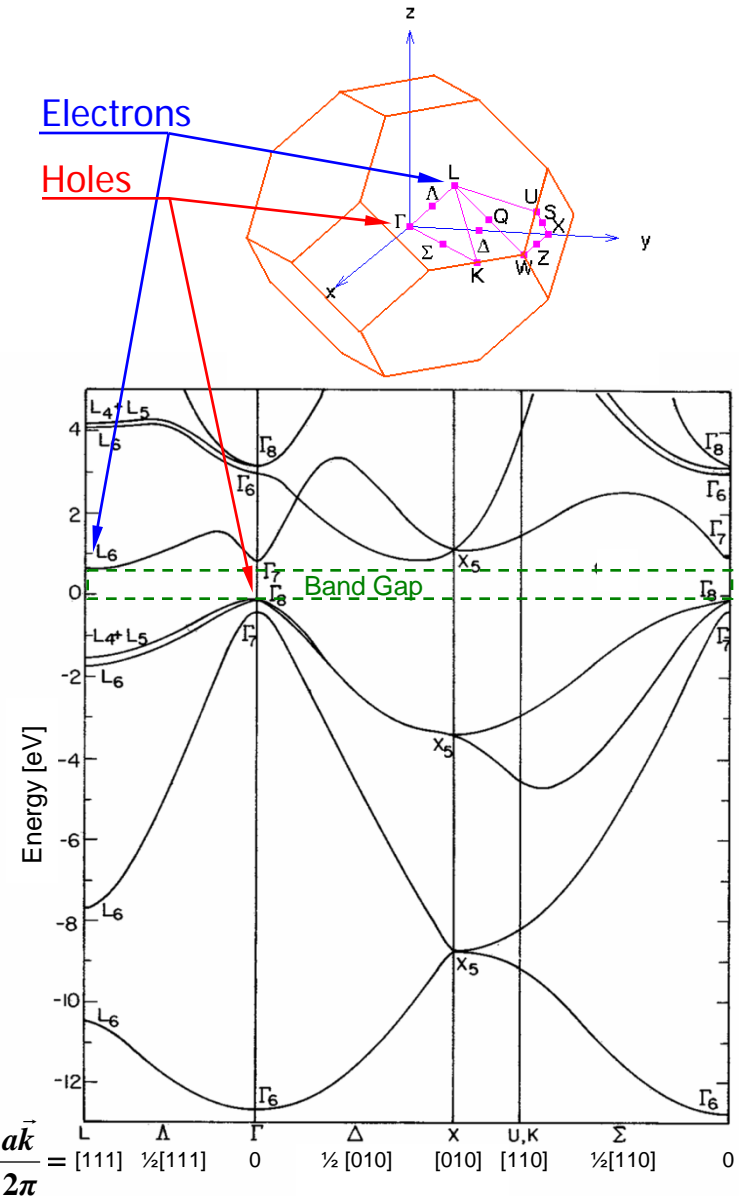


- L. Mihailescu et al. NIM A 447 (2000) 350
- distributed over 4 ellipsoidal valleys
- each valley is MB distributed, $T(E)$
- intervalley scattering $v(E)$ defines valley population
- $v_{100}(E)$ and $v_{111}(E)$ defines all.

Holes

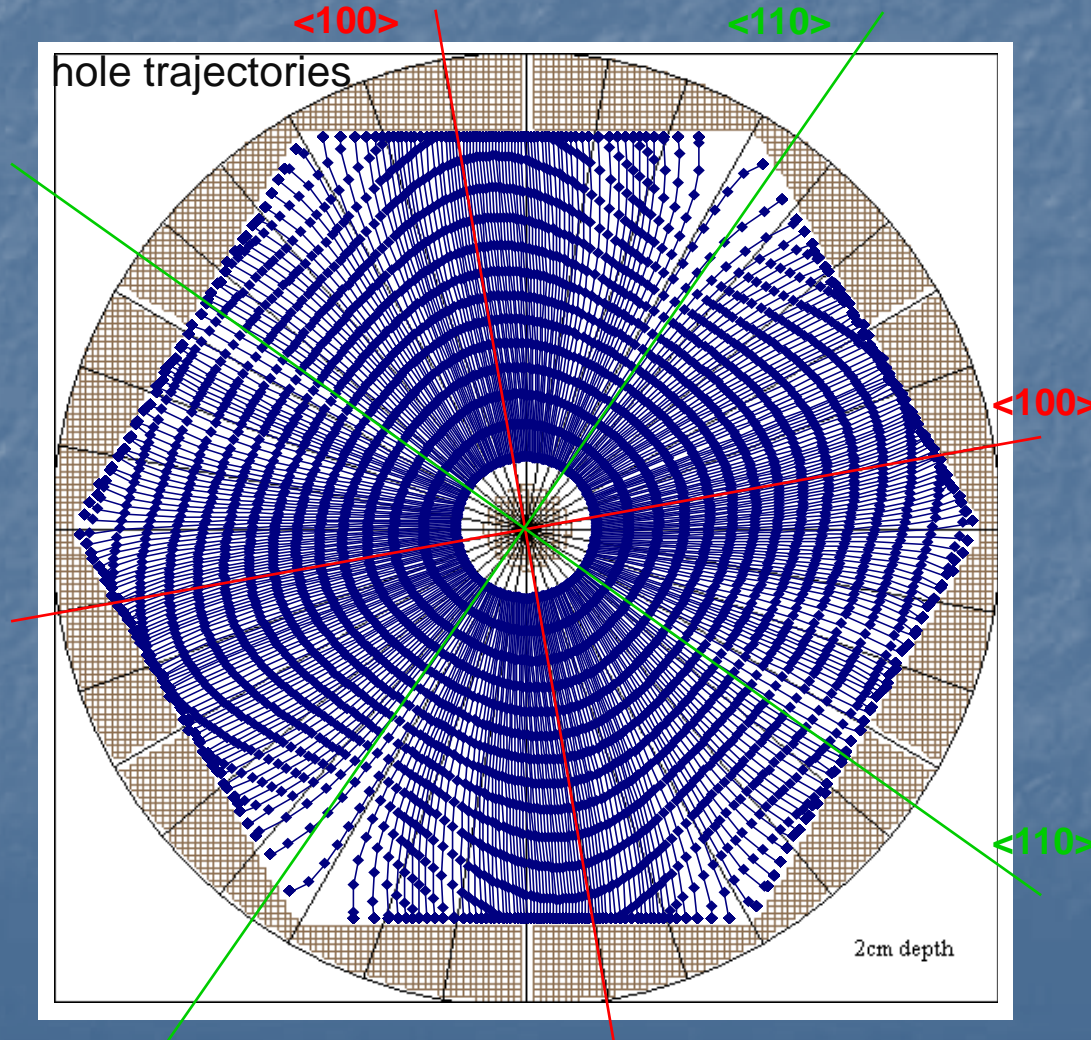


- B. Bruyneel et al. NIM A 569 (2006) 764-773
- only "warped" heavy hole band is important
- "Streaming motion" \rightarrow drifted MB distribution:
- $v_{100}(E)$ and $v_{111}(E)$ defines all.



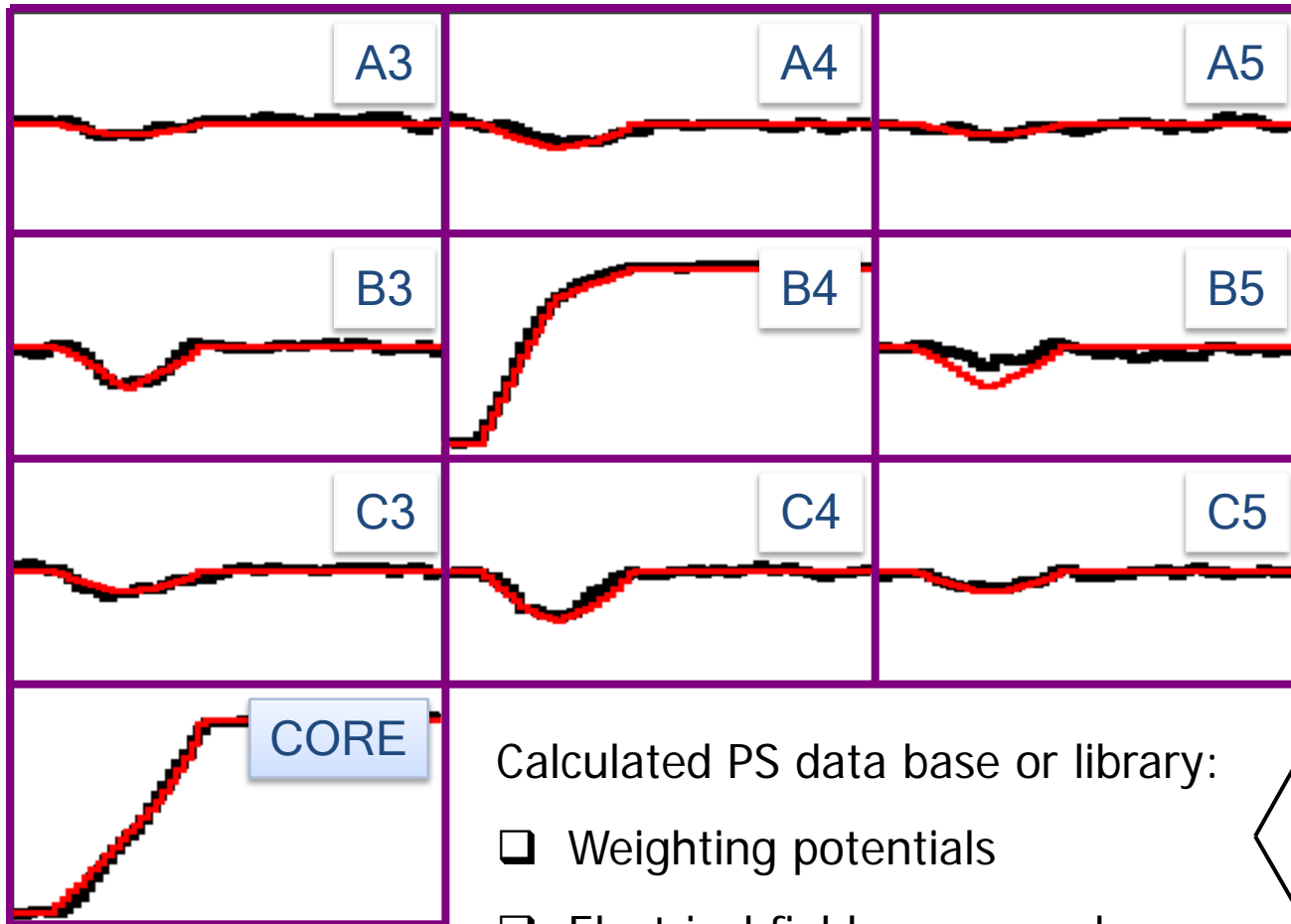
The anisotropic Hole mobility model

Electrons and holes have different longitudinal and tangential velocity anisotropy components.



- Electrons v_r mainly slower near $[111]$,
- Holes v_r mainly faster near $[100]$
- Tangential components 0 along symmetry axes and largest near same directions of largest v_r differences

Pulse Shape Analysis Concept

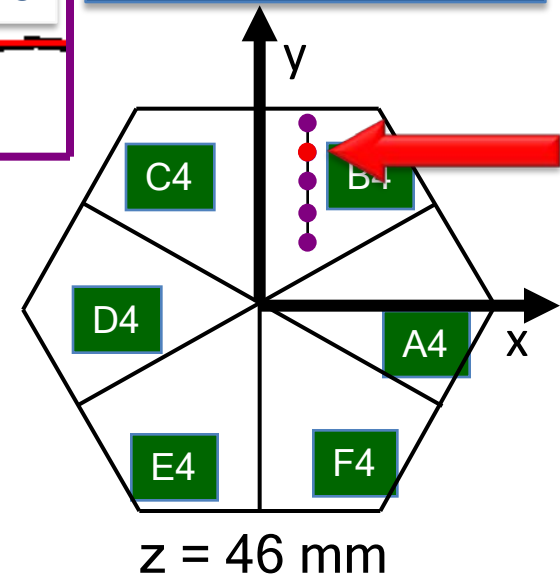


— measured
— calculated

Result of
Grid Search
 algorithm *R. Venturelli*

Calculated PS data base or library:

- Weighting potentials
- Electrical field ↔ space charge
- Anisotropic Mobility
- Response of electronics

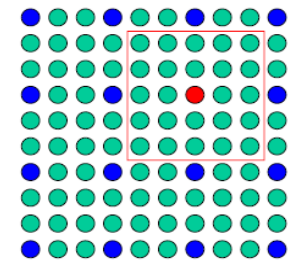


PSA Codes within AGATA

The classical PSA scheme consists of 3 components:

- Figure of Merit (FOM) e.g. $\sum_{i \in \text{ROI}} |\text{event1}_i - \text{event2}_i|^n$ (n=0.3)

A. Grid search:



- Search Routine: optimization of FOM over library
 - Adaptive Grid Search (A. Venturelli, INFN Padova)
 - Particle Swarm Optimization (M. Schlarb, TU Munich)

implemented

- Decomposition strategy for multiple interactions:
 - assuming maximum 1 hit per segment
 - segments influenced by multiple hits excluded

A. Grid search:

Hit	X		
	X	Hit	

PSA Codes within AGATA

Other PSA schemes

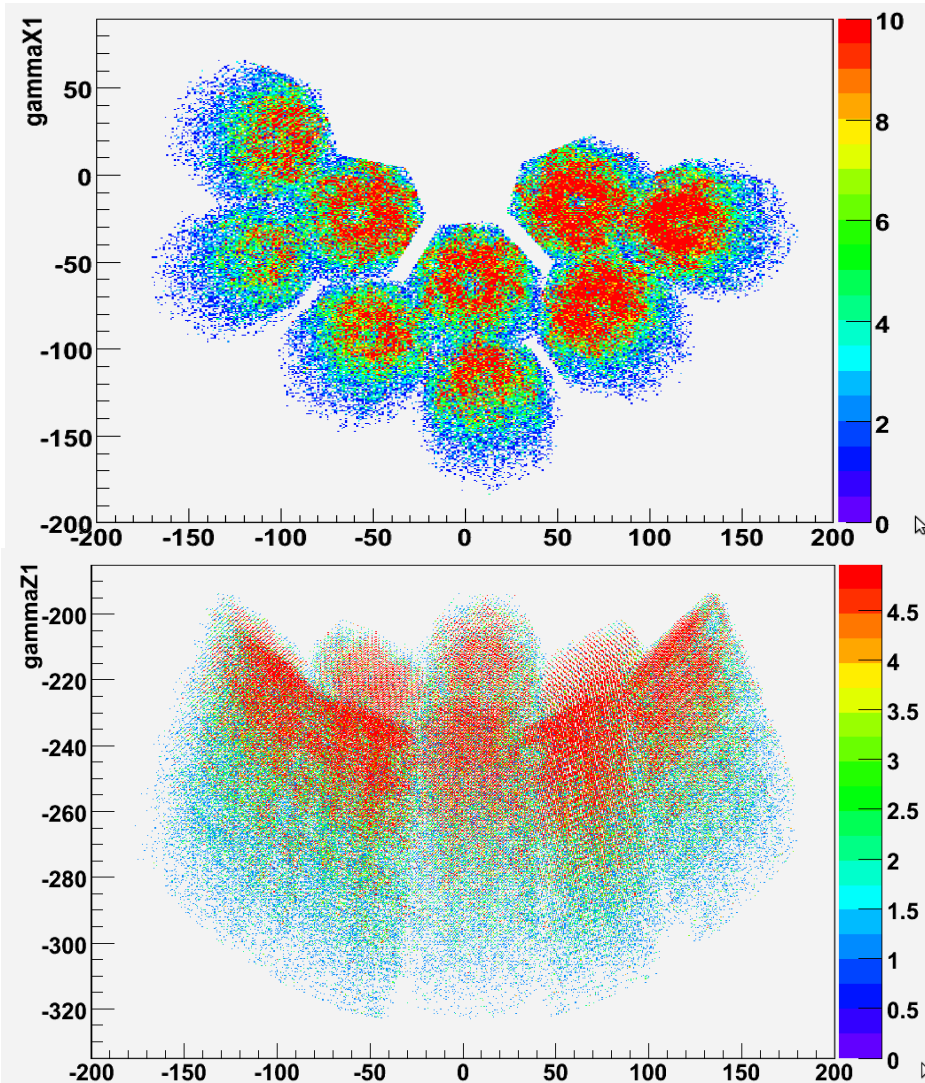
- Matrix method (A. Olariu, P. Desesquelles, CSNSM Orsay)

$$[\text{library}] \cdot [\vec{x}] = [\overrightarrow{\text{event}}]$$

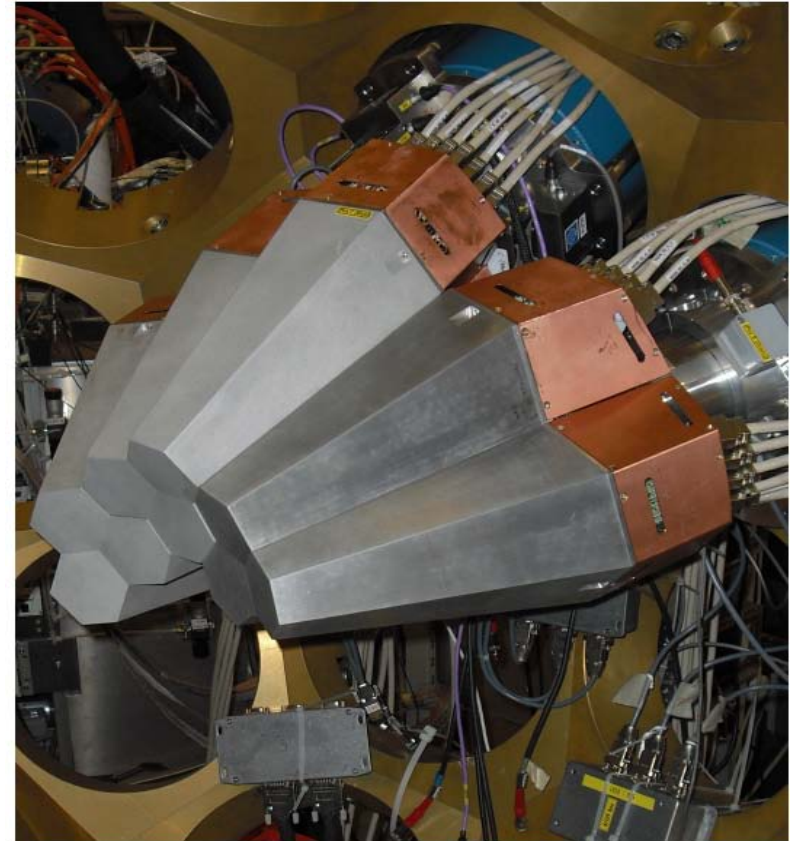
Partial PSA information

- Recursive Substraction algorithm (Fabio Crespi, INFN Milan)
Gets radial coordinates & # interactions (~ steepest slope)

AGATA online

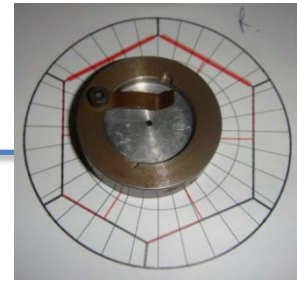


1st experiment with AGATA (18/02/10)



- < 5mm resolution deduced from Doppler shift correction (D. Bazzacco)
- psa online at rates > 5kHz per crystal

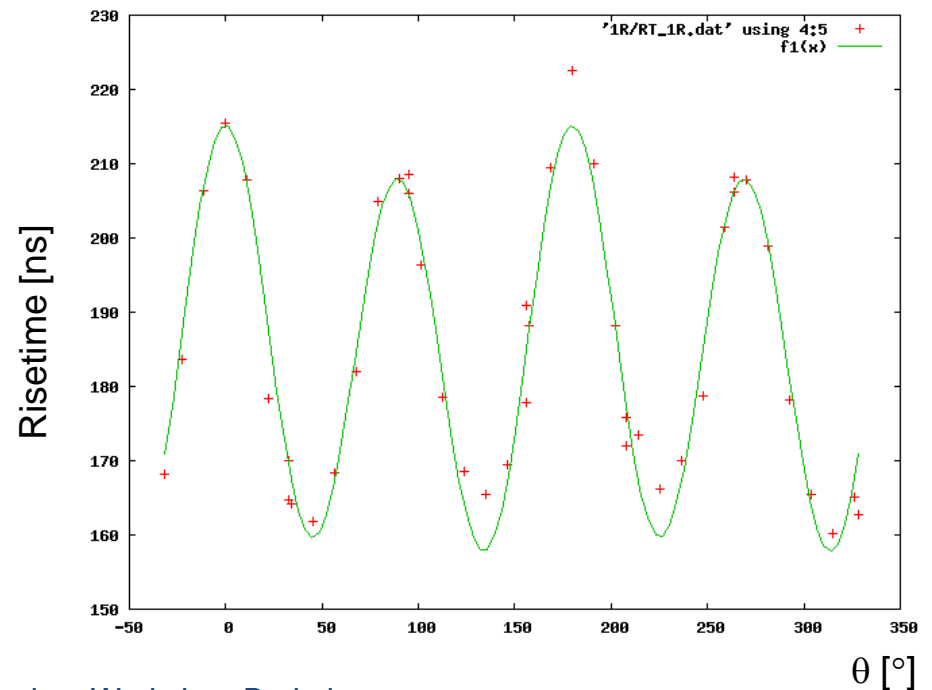
Optimisation: Crystal orientation

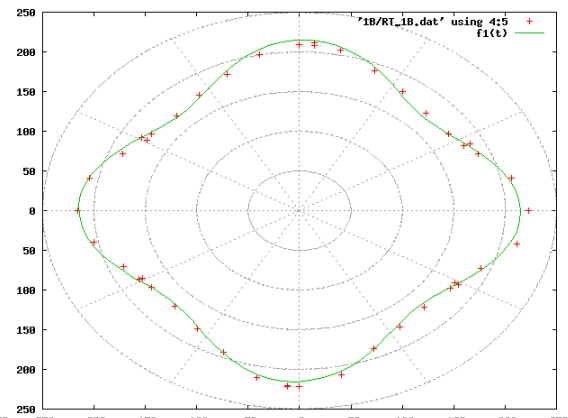
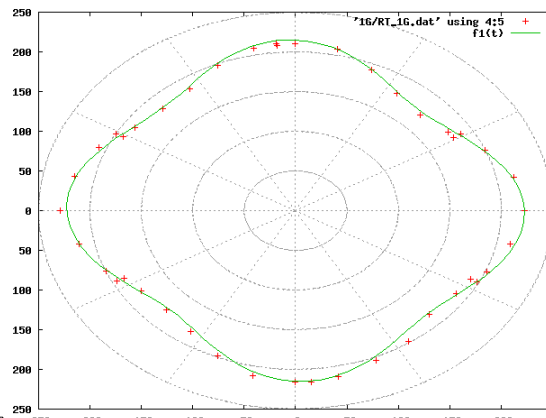
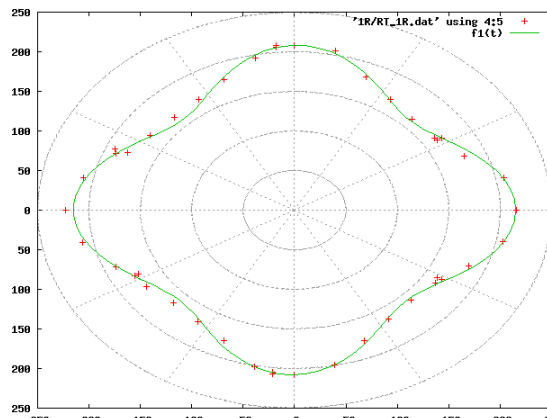
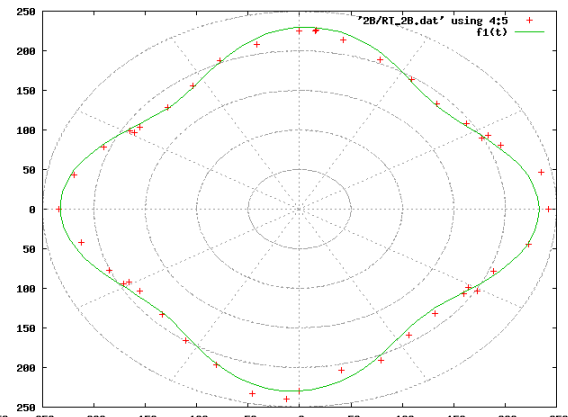
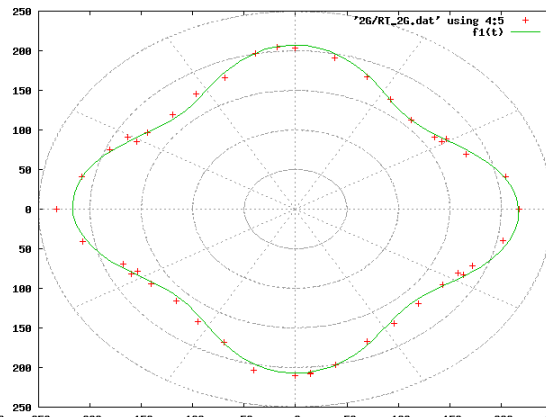
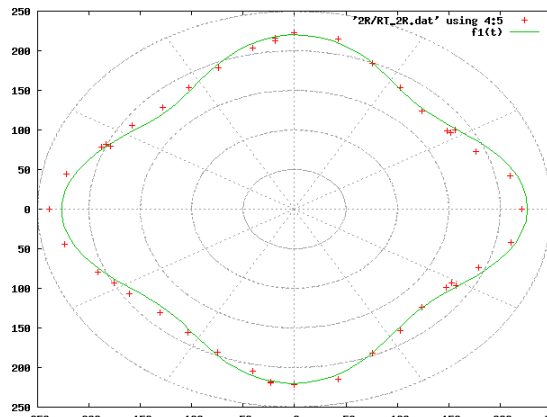
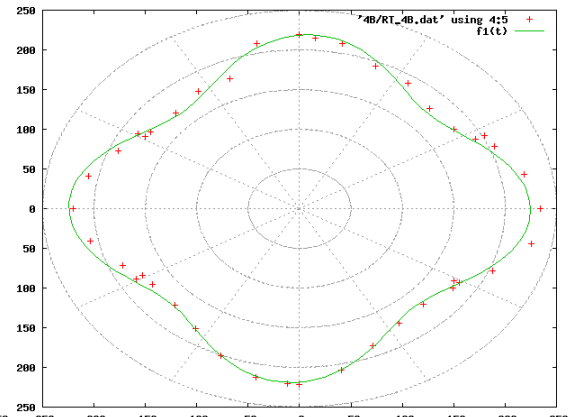
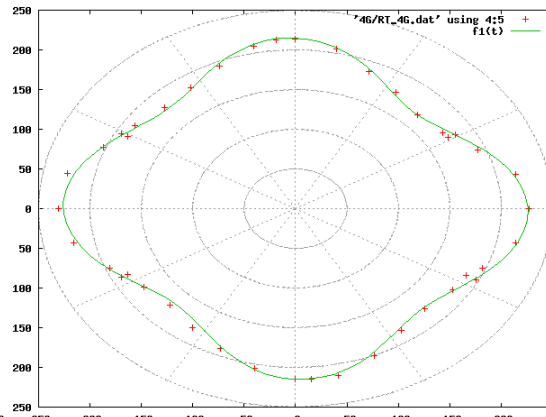
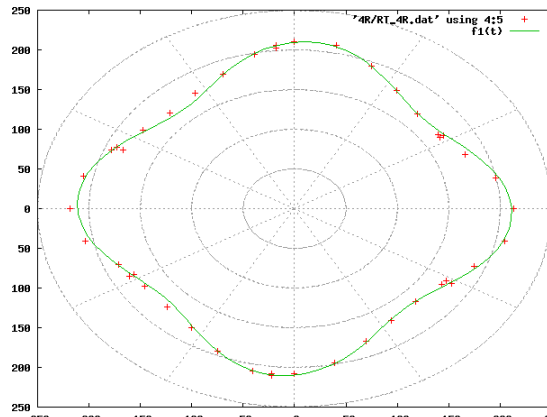


- 400kBq Am source +
- Lead Collimator: \varnothing 1.5mm X 1cm
- Front Scan at \varnothing 4.7cm: 300 cts/s

- Fitfunction Risetime(θ) =

$$A.[1+R_4\cos(\theta- \theta_4)].[1+R_2\cos(\theta- \theta_2)]$$



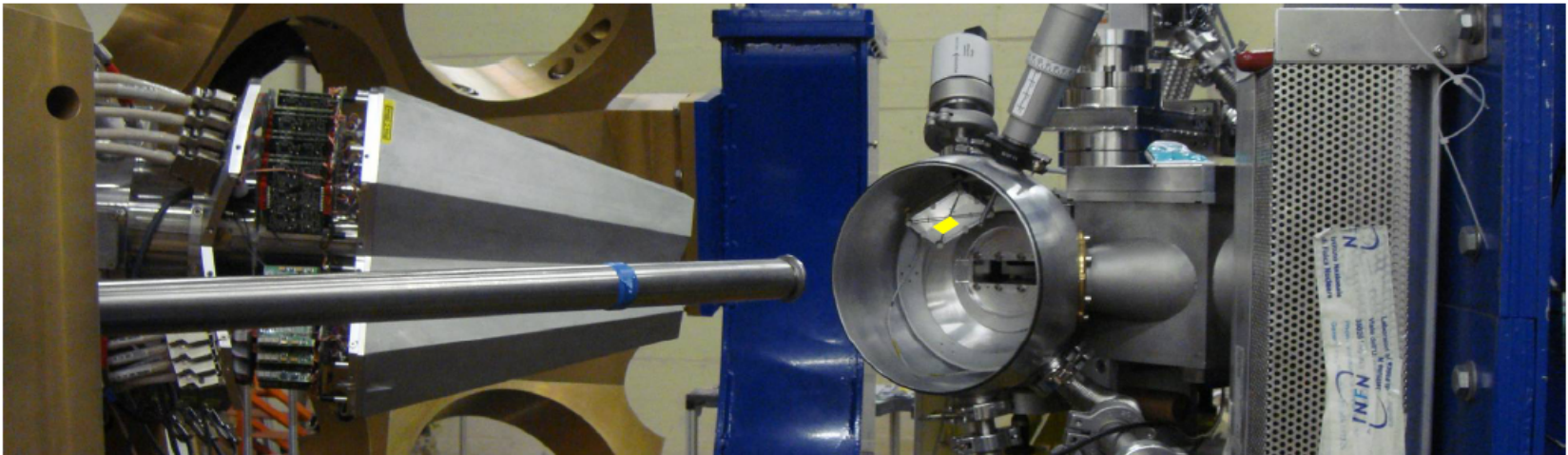
R**G****B****ATC1****ATC2****ATC4**

Commissioning experiment Week 27 2009

The reaction : ^{56}Fe at 220 MeV \rightarrow ^{197}Au recoils with $\beta \sim 8\%$ $E_\gamma = 847$ keV (^{56}Fe)

The detectors: γ detection with ATC1 in coincidence with DANTE for scattered ions

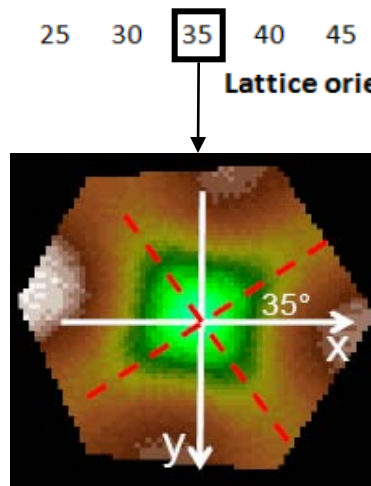
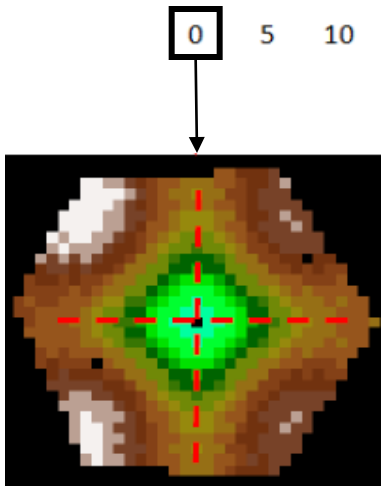
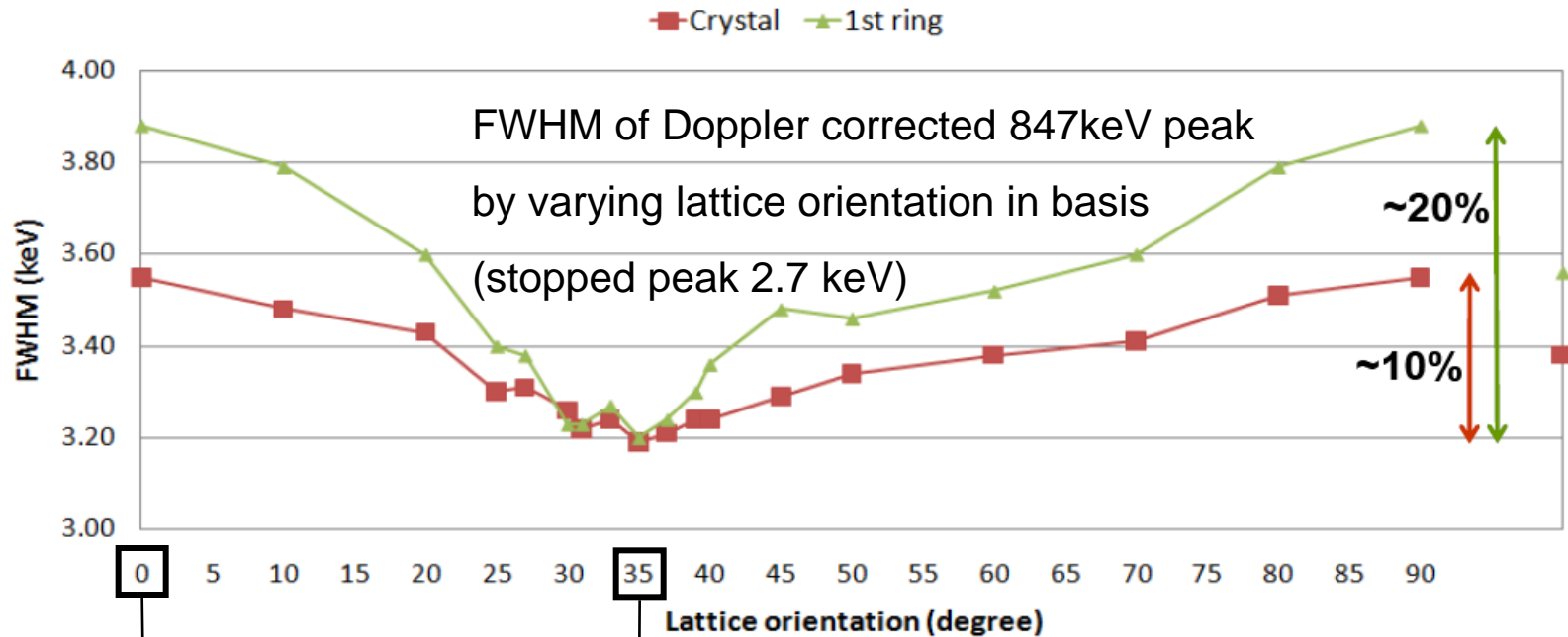
Experimental setup:



On-line event rate: 250 Hz of coincidences

Statistics: 150 Mevents for 2 Tbyte of saved traces

Influence of crystal orientation

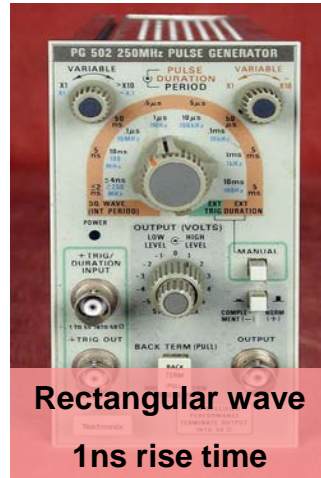
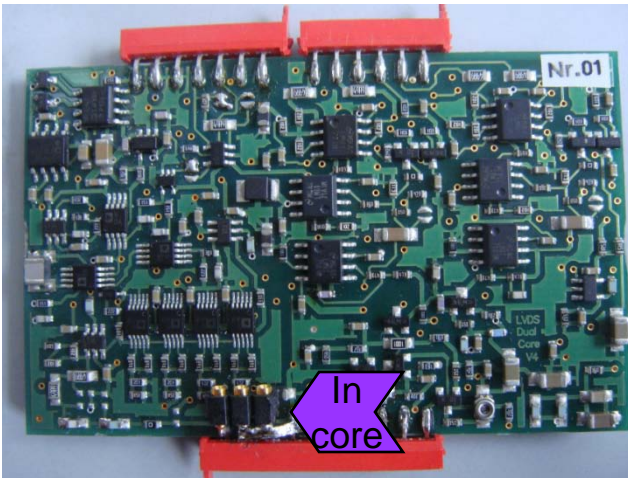


Main improvement from 1st ring

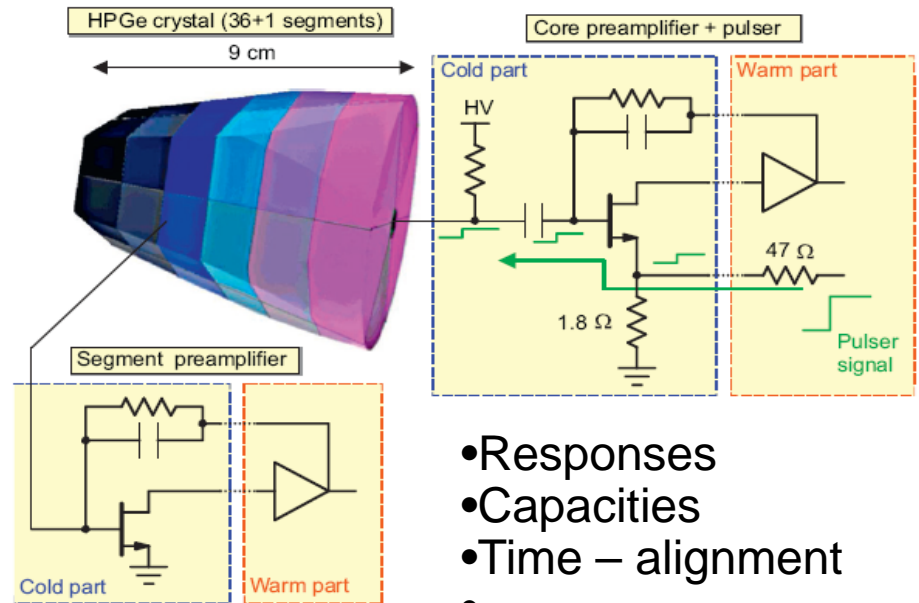
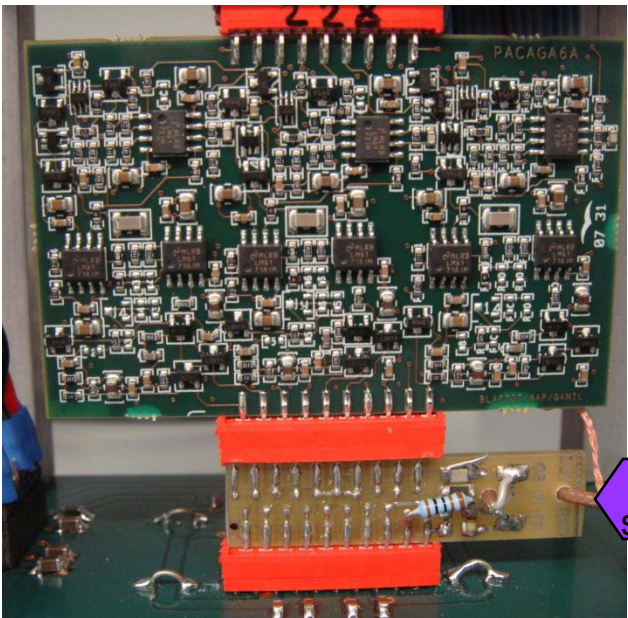
Front view of T_{10-90} simulations

Angles with respect to x-axis

Optimisation: Electronics & Response

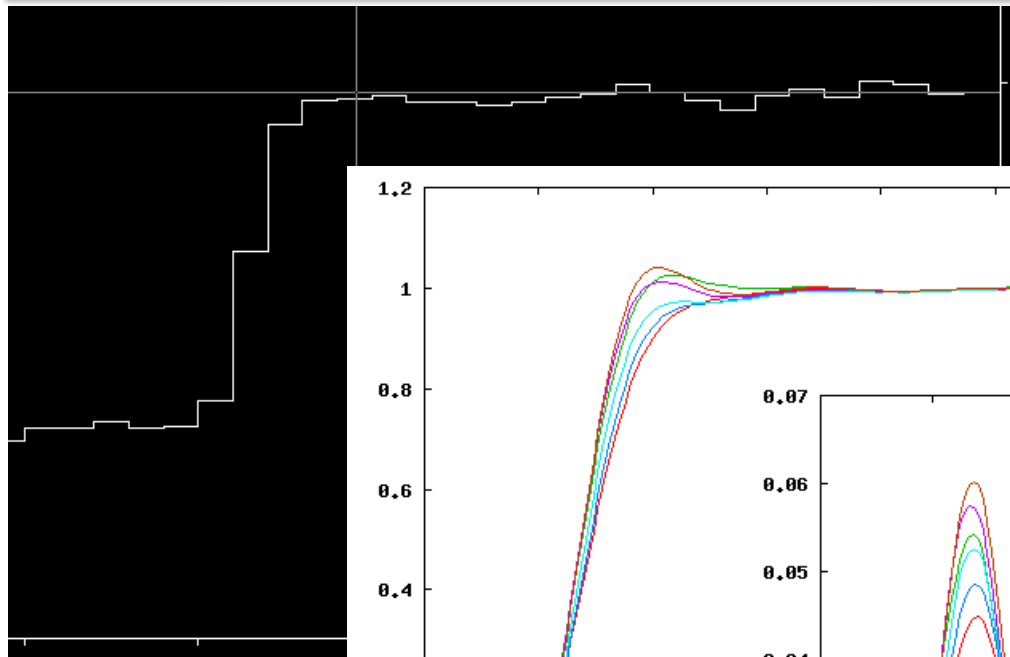


- Preamps 30-35ns rise time
- Core - built in progr. pulser ~ 60ns
- bypass for fast 1ns pulser
- Segment pulser input (non-standard)

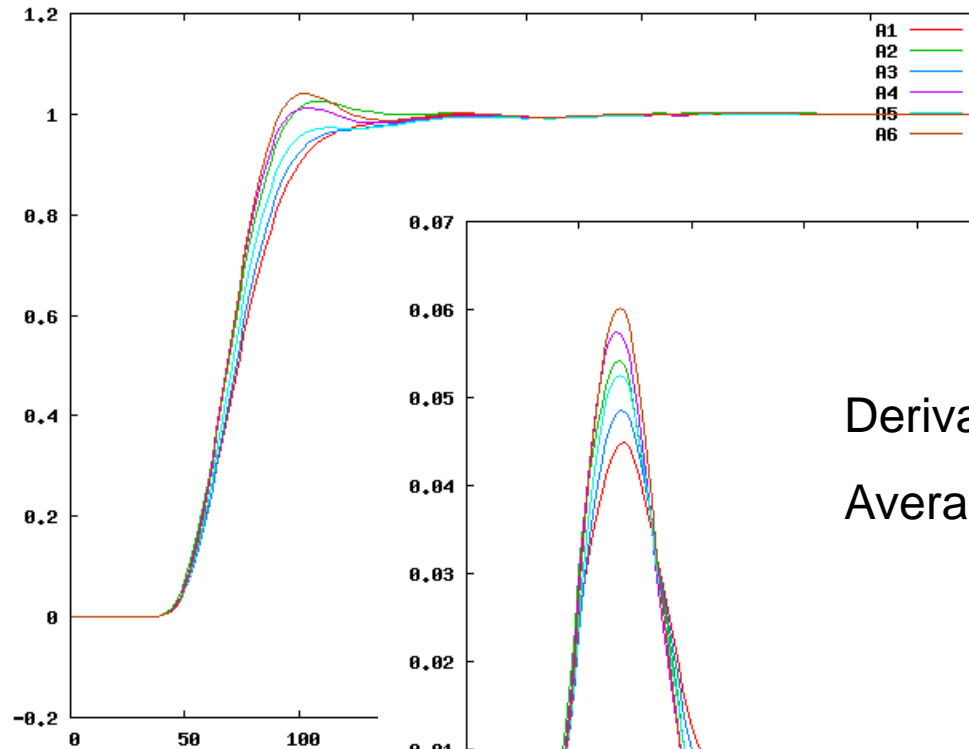


- Responses
- Capacities
- Time – alignment
- ...

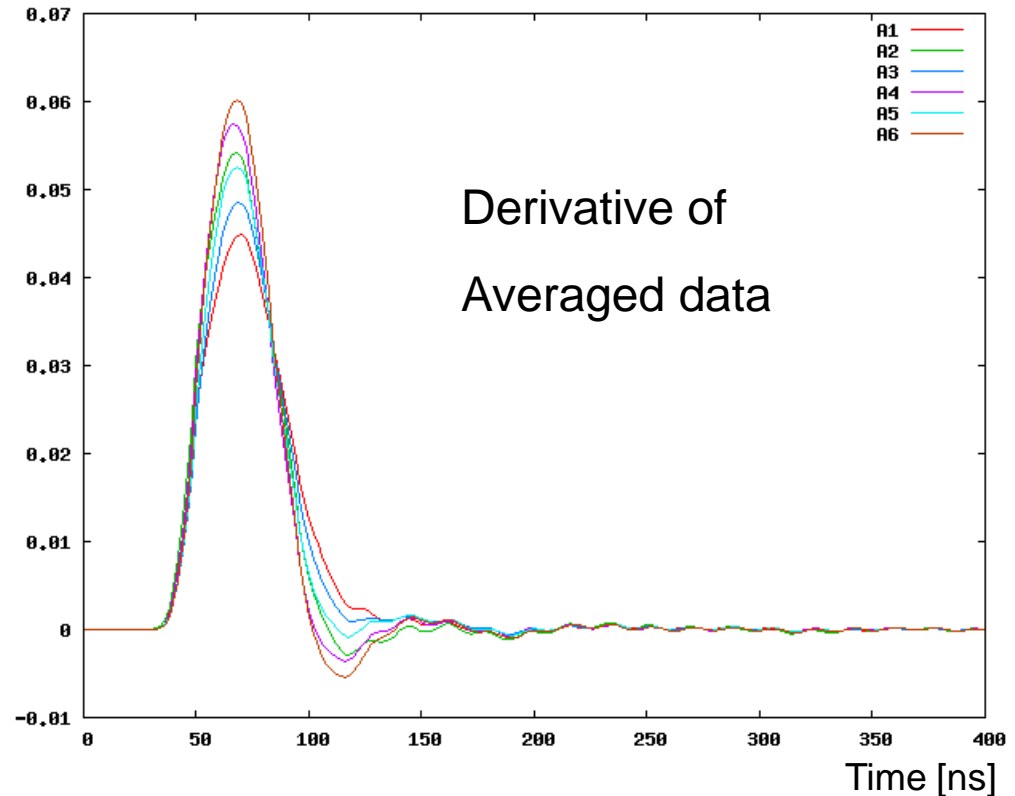
Response function



Raw data (10 ns/sample)

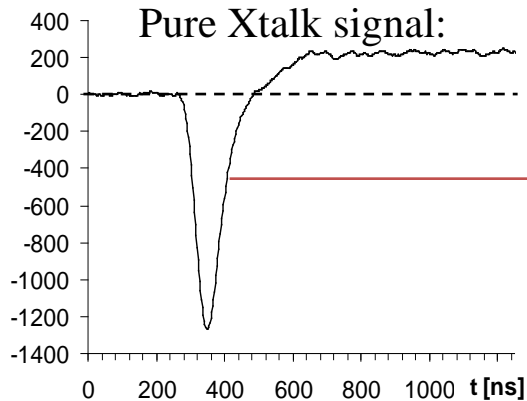


Averaged data (2ns/sample)
Avg. $T_{10-90} = 43\text{ns}$



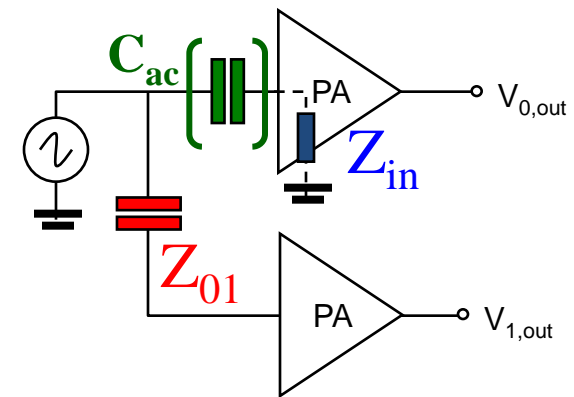
...Averaging = Convolution...

Optimisation: Origin of Crosstalk



Proportional Xtalk ($50\mu\text{s}$ decay) → **Energy**

Differential Xtalk (only during **risetime**) → **PSA**



$$\text{With } Z_{in} = 1/sAC_{fb} + (1/sC_{ac}) + R_{cold}$$

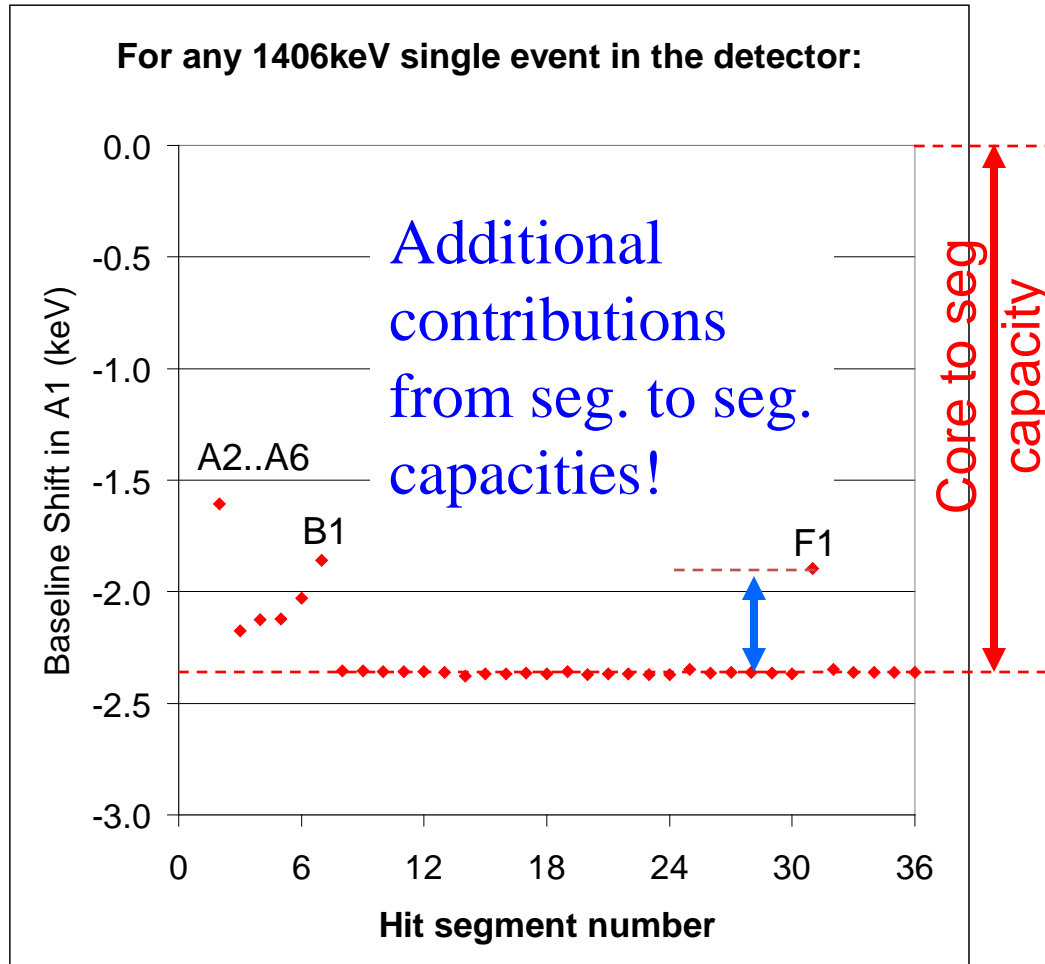
$$\text{Xtalk} \sim Z_{in} / Z_{01}$$

$$\sim \underbrace{C_{01}/AC_{fb} + (C_{01}/C_{ac})}_{\text{Proportional}} + \underbrace{s \cdot R_{cold} C_{01}}_{\text{Differential Xtalk}}$$

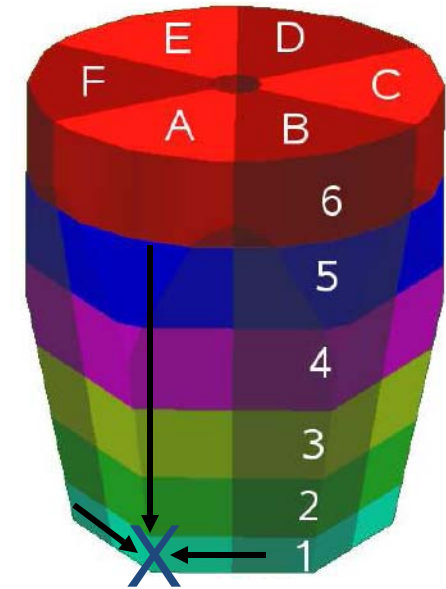
$$= \text{Proportional} + \text{Differential Xtalk}$$

!!! Proportional and Differential Xtalk are related !!!

Proportional Xtalk measurement



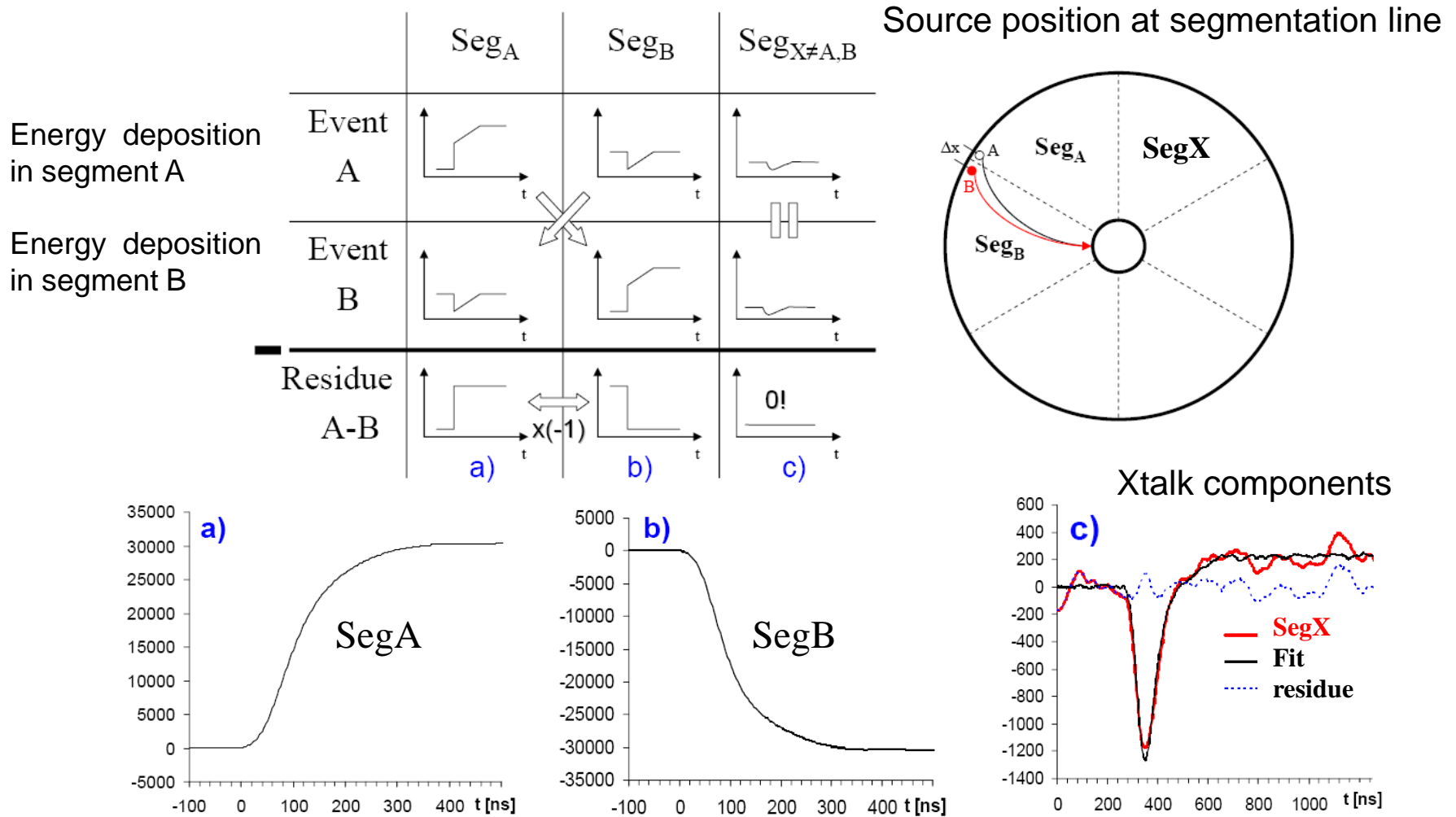
Segment labeling:



Sectors: A...F

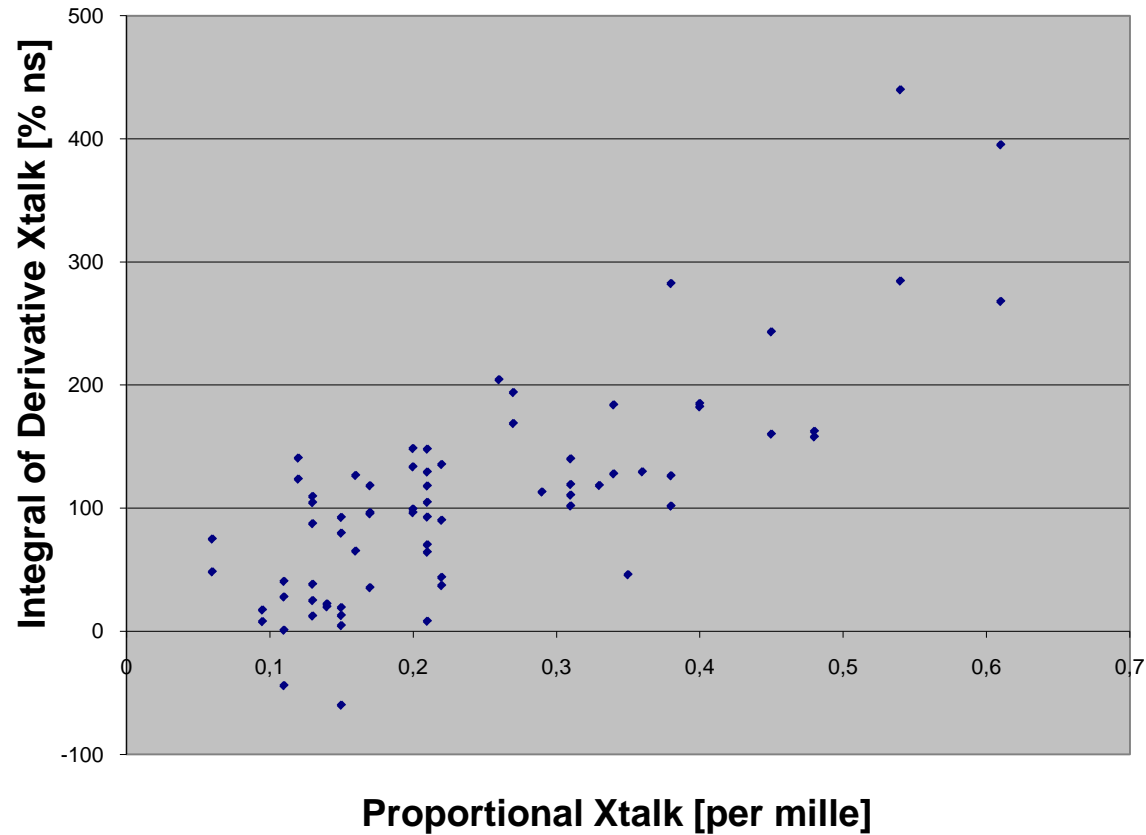
Rings: 1...6

How to measure derivative Xtalk?

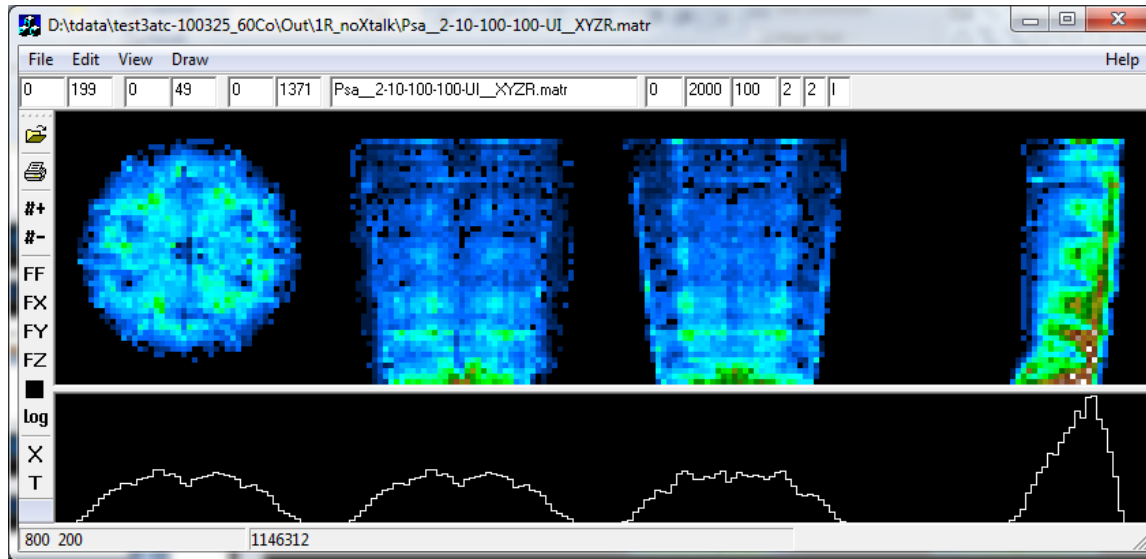


(1) B. Bruyneel et al. NIM A 569 (2006) 774-789 / MGS workshop (April 2005) / AGATA week (Nov 2005)

Derivative vs Proportional Xtalk



Impact of Xtalk – First results



ATC1-R

Same data,

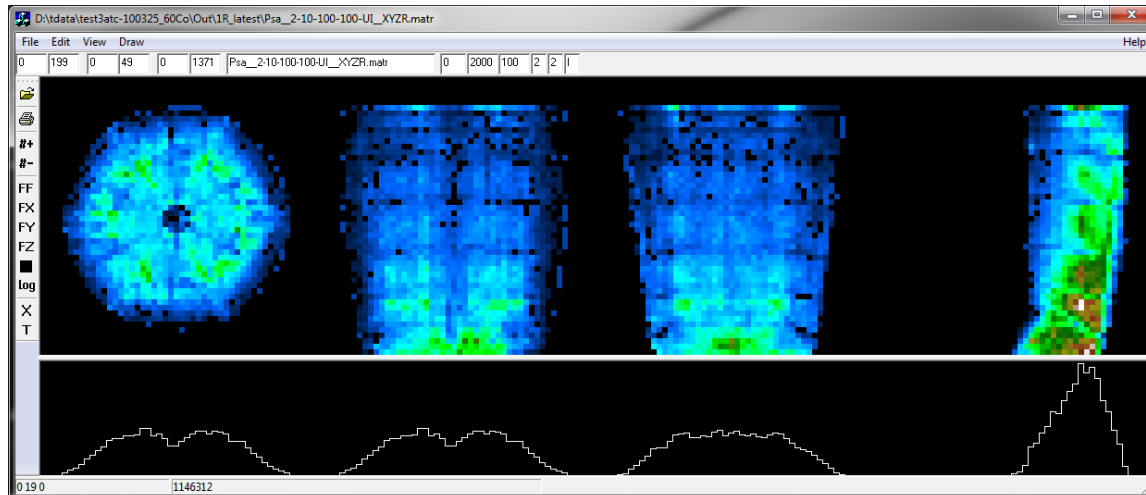
Same analysis

BEFORE...

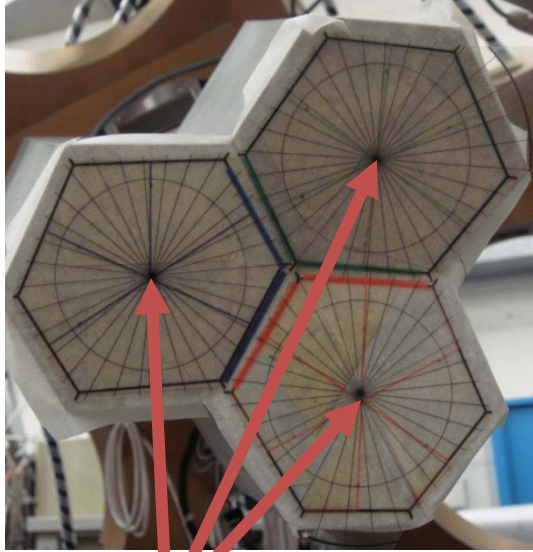
and

AFTER

implementation of
crosstalk correction

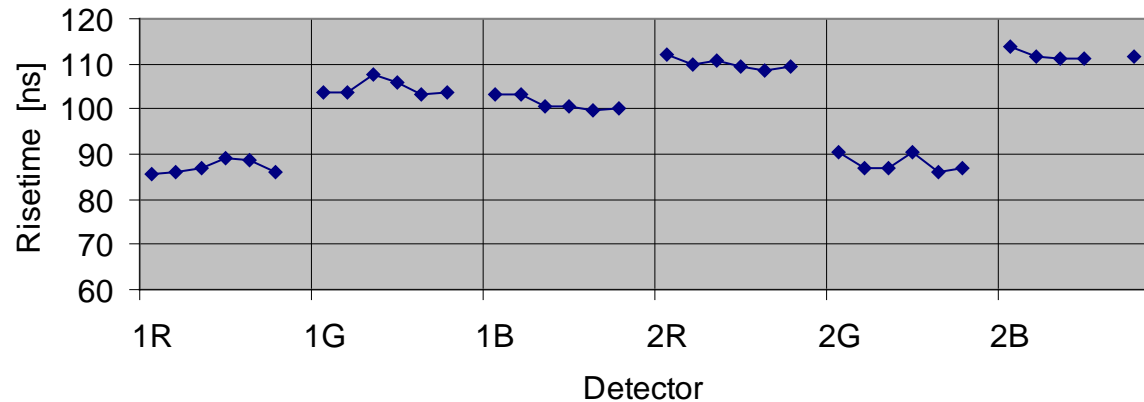


The impact of the field strength



Coordinate (0,0,0)

Core T_{10-90} for position (0,0,0) for different detectors
(values from full energy gates on six front segments)

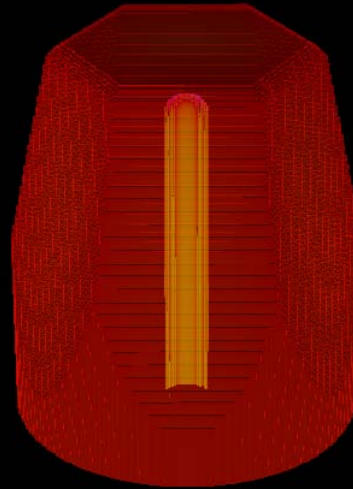


Impurity concentration and bias voltage (source Canberra)

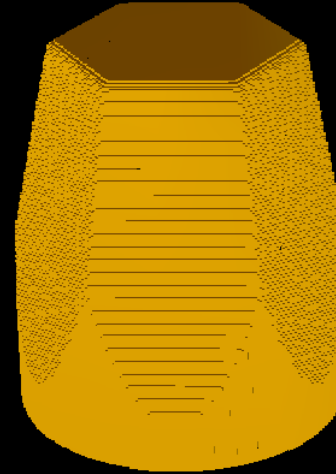
Detector	1R	1G	1B	2R	2G	2B
Bias voltage [V]	5000	5000	5000	4500	4500	4000
Imp. Front [10^{10}cm^{-3}]	0.50	1.22	0.54	0.48	1.12	1.15



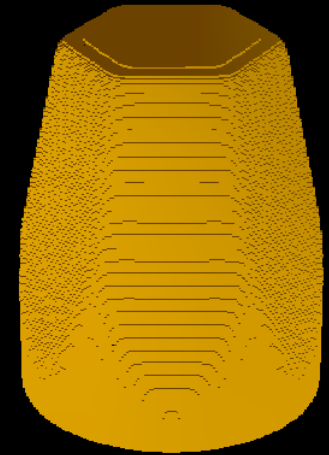
A



B



C: HV = 10V



D: HV = 100V

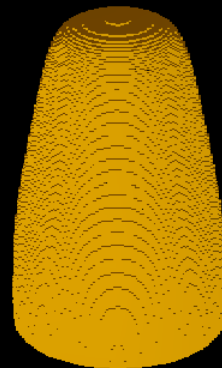
Depletion of a HPGe detector

A: Bare HPGe germanium crystal
symmetric AGATA detector

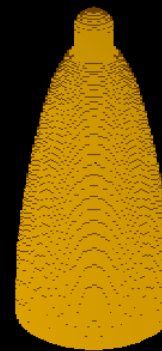
B: Geometry in simulation
The HV contact is colored yellow

C-G: Undepleted volume
as function of HV.

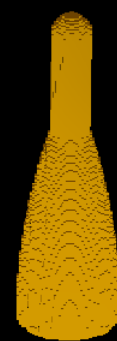
(assumption: 10^{10} impurities / cm^3)



E: HV = 1kV

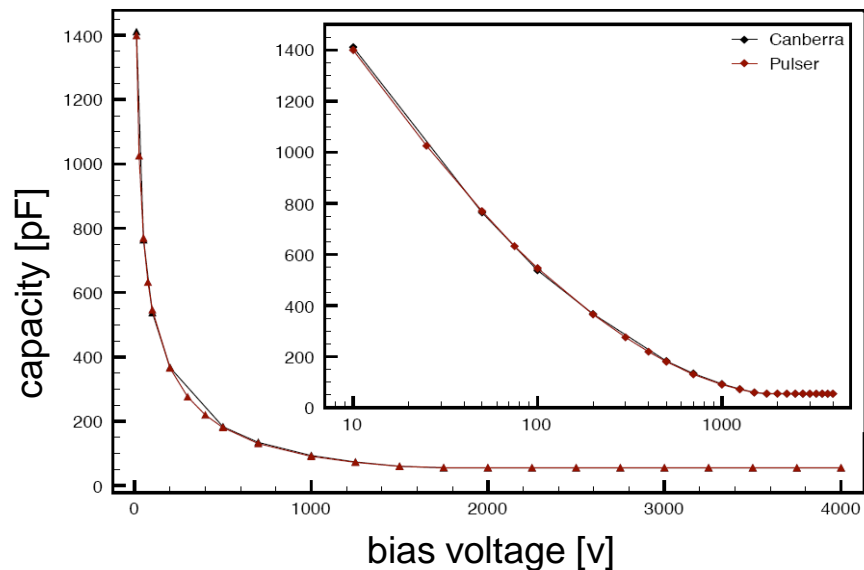


F: HV = 2kV



G: HV = 3kV

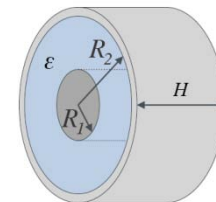
Impurity from C-V measurements



How it works (e.g. cylindrical geometry):

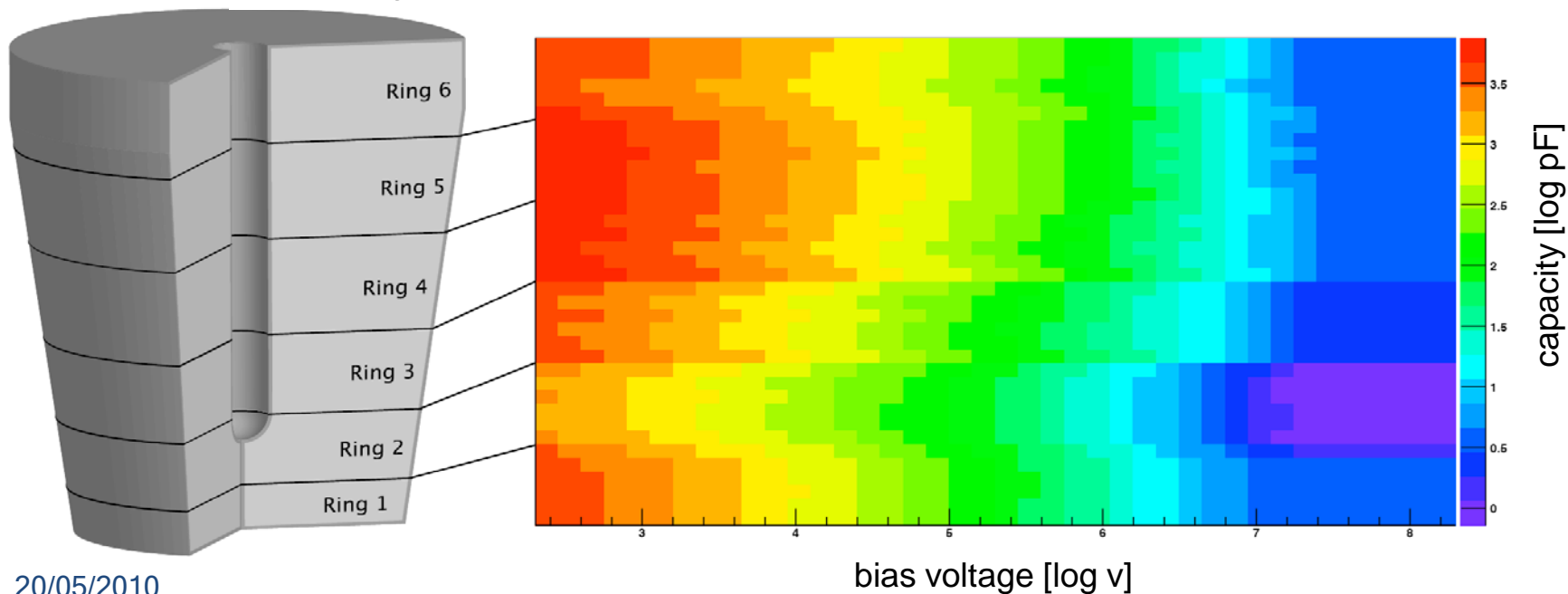
- $C(V)$ gives depletion boundary R_1 :

$$C = \frac{2\pi\epsilon H}{\ln \frac{R_2}{R_1}}$$

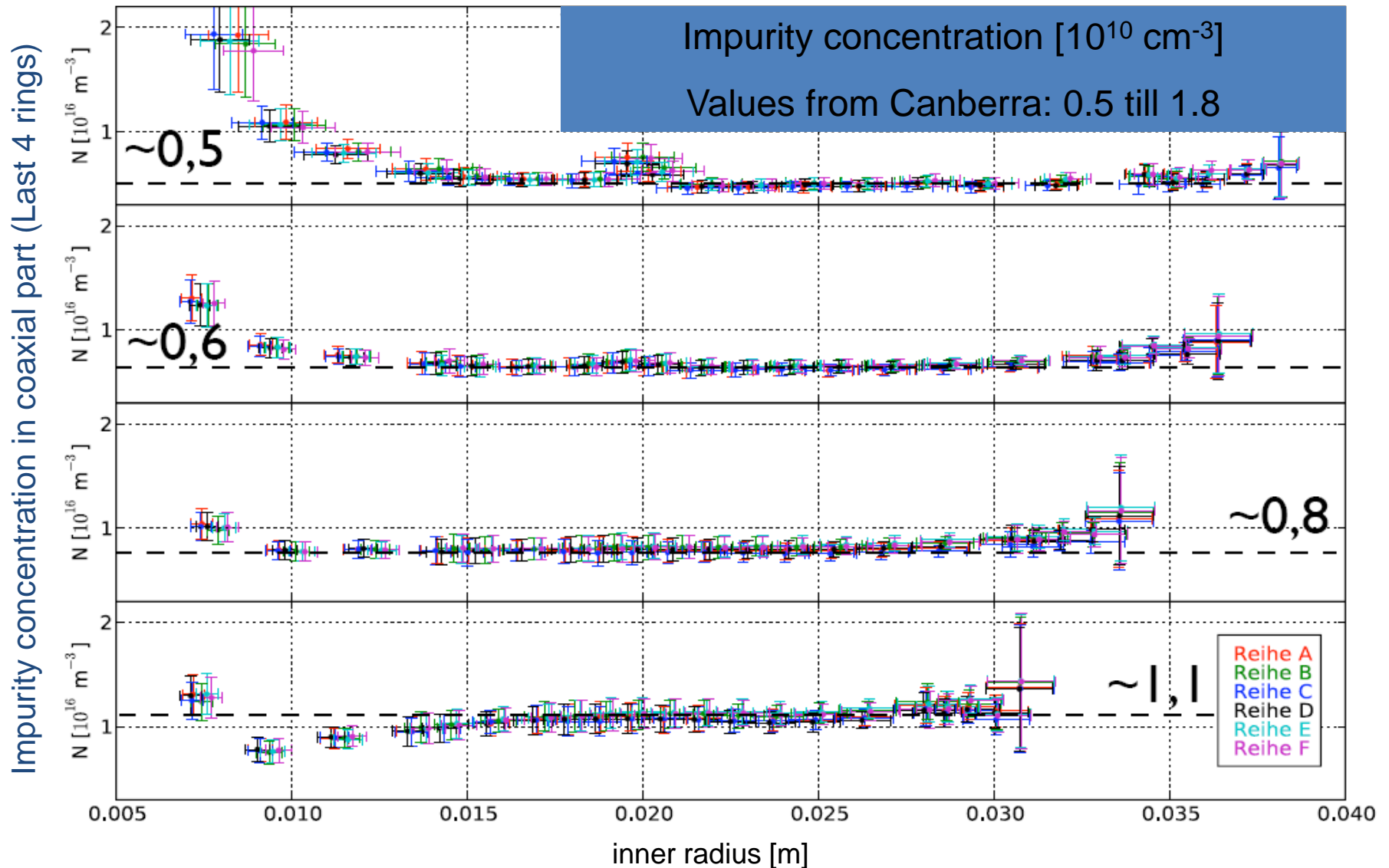


- $C(V)$, dC/dV give impurity concentration at R_1

$$N_D(R_1) = -\frac{C^3 e^{\frac{4\pi\epsilon H}{C}}}{4e\pi^2 H^2 \epsilon R_2^2 \frac{dC}{dV}}$$



Results with the cylindrical approximation



Summary & Outlook

First in-beam- and source measurements show position resolution of ~ 5 mm

Value is in line with the design assumptions of the AGATA spectrometer, feasibility of γ -ray tracking is confirmed

PSA is based on calculated pulse shape libraries

Optimisation and tests with data sets from first experiments

- crystal properties
- response functions
- cross talk
- impurity concentration

Compare with pulse shape data from scanned detectors